

Background

When building classification systems with demographic fairness considerations, there are **two objectives to satisfy**:

1) maximizing utility for the specific task and 2) ensuring fairness w.r.t. a known demographic attribute. These objectives often compete, so optimizing both can lead to a trade-off between utility and fairness.

Questions We Answer

1) What are the optimal trade-offs between utility and fairness?

2) How can we numerically quantify these trade-offs from data for a desired prediction task and demographic attribute of interest?

Trade-Offs Definitions

Definition 1. Data Space Trade-Off (DST)

$$f_{\lambda}^{DST} := \underset{f \in \mathcal{H}_X}{\operatorname{arg inf}} \left\{ (1 - \lambda) \inf_{g_Y \in \mathcal{H}_Y} \mathbb{E}_{X,Y} \left[\mathcal{L}_Y \left(g_Y \left(\mathbf{f}(X) \right), Y \right) \right] \right.$$
$$\left. + \lambda \operatorname{Dep} \left(\mathbf{f}(X), S | Y = y \right) \right\}, \quad 0 \le \lambda < 1$$

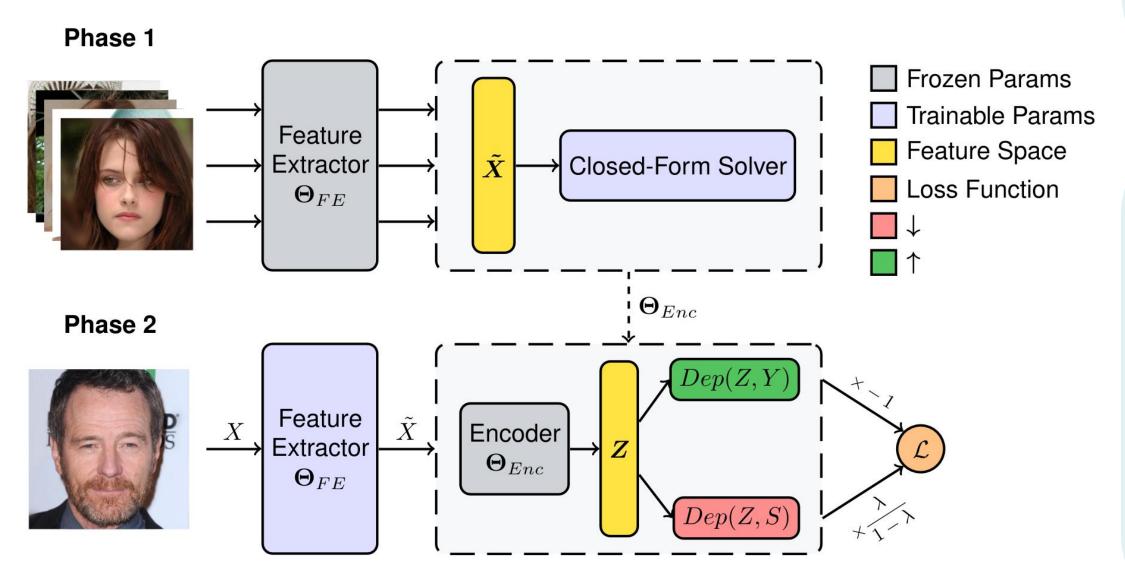
Definition 2. Label Space Trade-Off (LST)

$$Z_{\lambda}^{LST} := \underset{Z \in L^2}{\arg \inf} \left\{ (1 - \lambda) \inf_{g_Y \in \mathcal{H}_Y} \mathbb{E}_Y \left[\mathcal{L}_Y (g_Y(Z), Y) \right] + \lambda \operatorname{Dep}(Z, S | Y = y) \right\}, \quad 0 \le \lambda < 1$$

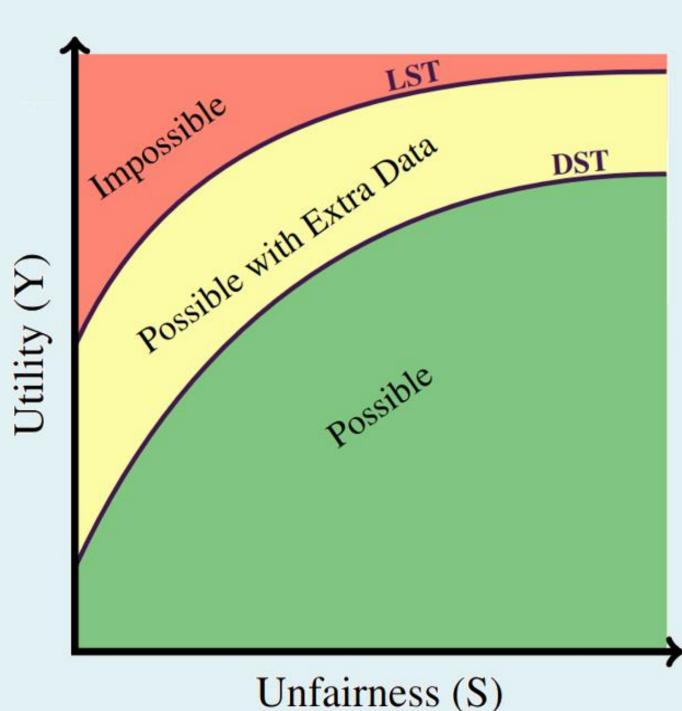
Fairness Criteria

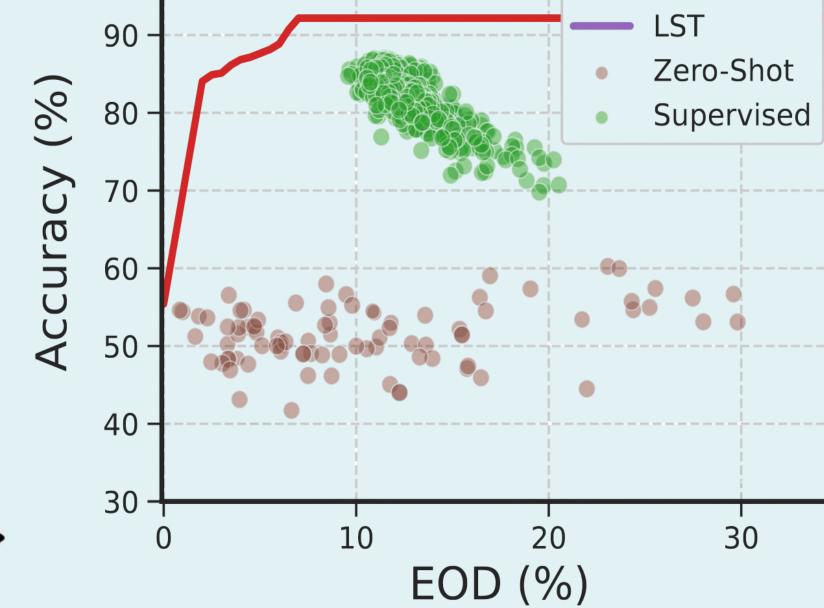
- 1) Demographic Parity (DP)
- 2) Equalized Opportunity (EO)
- 3) Equality Of Odds (EOO)

U-FaTE



Utility-Fairness Trade-Offs and How to Find Them





DST

Data Space Trade-Off (**DST**) and Label Space Trade-Off (**LST**) divide the utility (e.g., accuracy) versus fairness space into **three regions**.

We empirically estimate **DST** and **LST** on **CelebA** and evaluate the utility (high cheekbones) and fairness (**gender & age**) of over **100 zero-shot** and **900** supervised models.

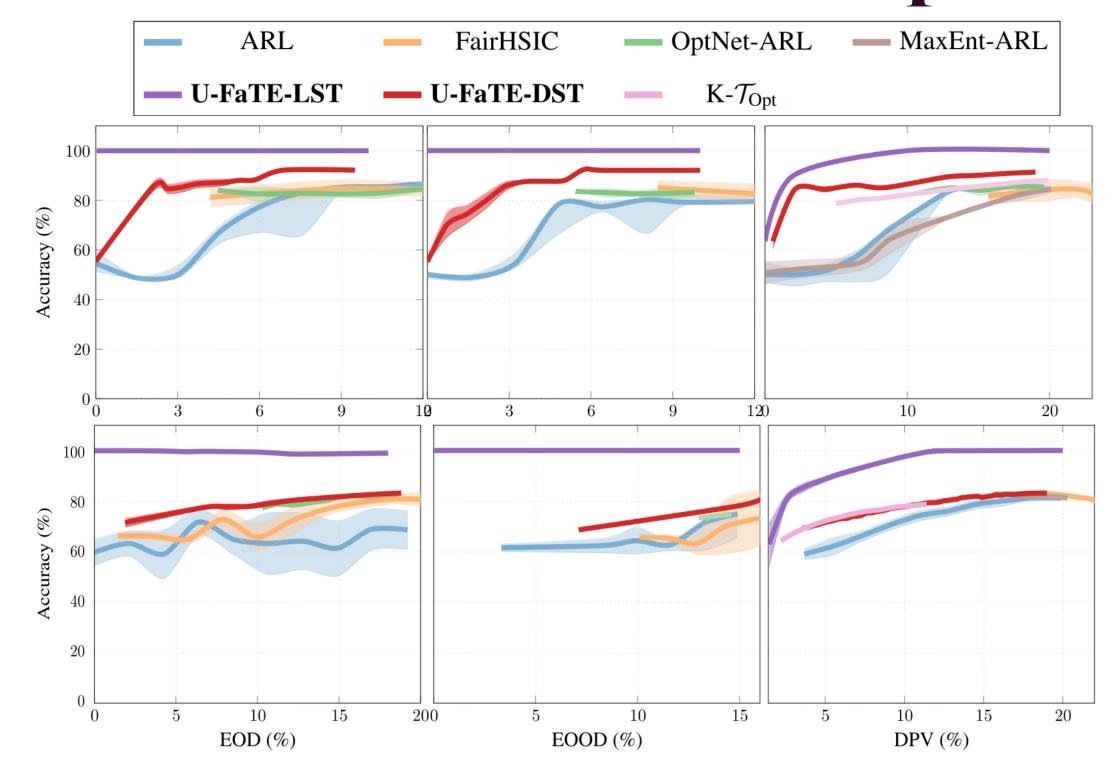




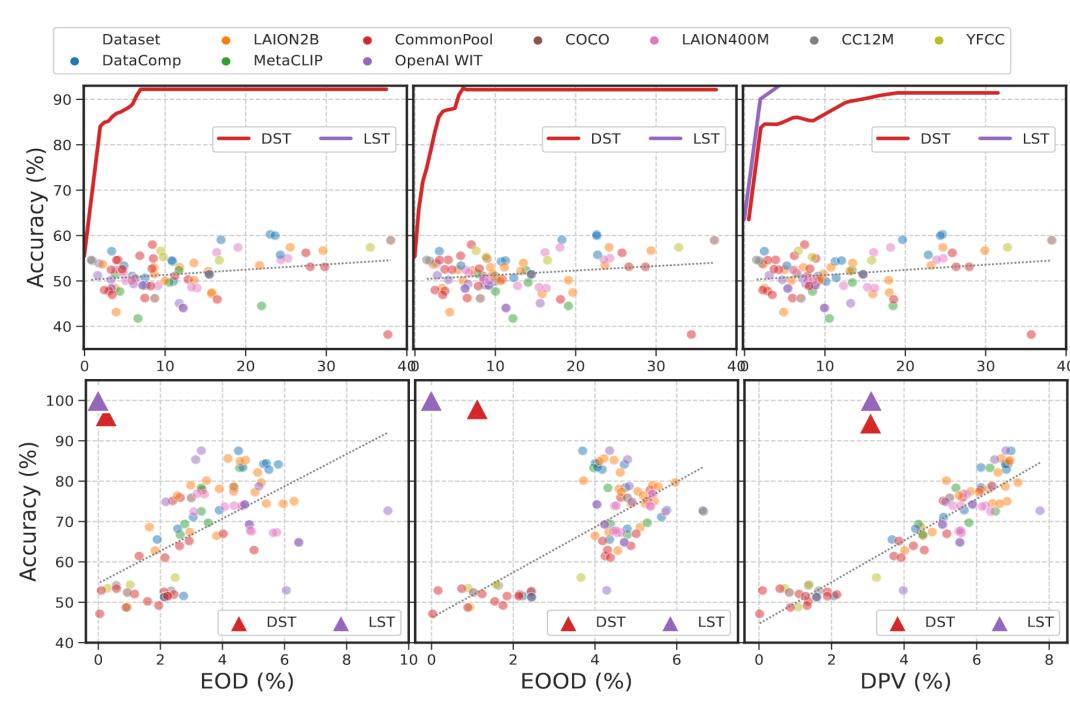
Sepehr Dehdashtian, Bashir Sadeghi, Vishnu Naresh Boddeti



How do FRL Methods Compare?



How fair are CLIP Models?



How fair are pre-trained image models?

